

Write an equation for a sine curve that has the given amplitude and period, and which passes through the given point.

- 10) Amplitude 10, period $\frac{\pi}{3}$, point (0, 0)

Solve the problem.

- 11) Tides go up and down during a 12.4 hour period (half lunar day). The average depth of a certain river is 10 m and ranges from a low tide of 7 m to a high tide of 13 m. The variation can be approximated by a sinusoidal curve.
- a) Write an equation that gives the approximate variation y , if x is the number of hours after midnight if high tide occurs at 9:00 am.

b) Determine the height of the tide at 11 am.

c) Determine the time of day that the height of the tide is 12 m.

- 12) The average high temperatures for Grand Junction, CO are given below.

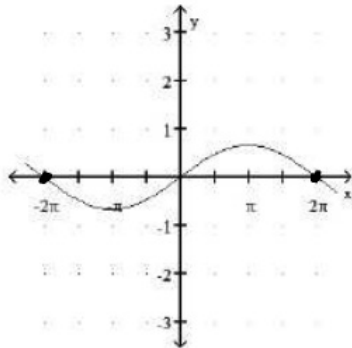
Month	1	2	3	4	5	6	7	8	9	10	11	12
Temperature (°F)	37	45	56	64	75	87	92	90	80	67	50	39

Model this data using your calculator and then using that model, predict the temperature during the 6th month. How close is this prediction to the actual temperature during that month?

$$y = 27.150 \sin(.50586x - 1.969) + 64.236$$

$$87.997 \approx 88^\circ$$

13) Write 2 equations for the graph below. One equation as sine and one equation as cosine.



$$\text{period} = 4\pi \rightarrow b = \frac{2\pi}{4\pi} = \frac{1}{2}$$

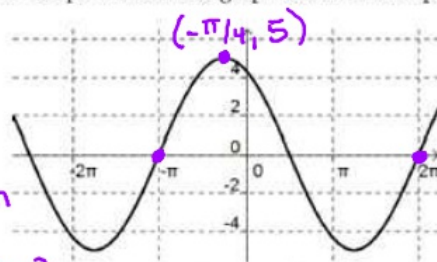
$$\text{Amp} = \frac{2}{3}$$

$$y = \frac{2}{3} \sin \frac{1}{2} x$$

$$y = \frac{2}{3} \cos \frac{1}{2} \left(x - \frac{1}{4}(4\pi) \right)$$

$$y = \frac{2}{3} \cos \frac{1}{2} (x - \pi)$$

14) Write 2 equations for the graph below. One equation as sine and one equation as cosine.



period = 3π

$$b = \frac{2\pi}{3\pi} = \frac{2}{3}$$

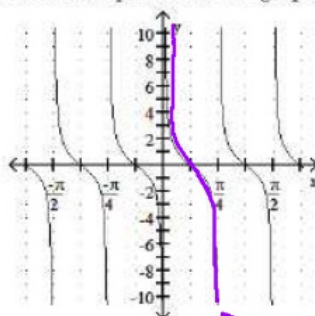
$$y = 5 \cos \frac{2}{3} \left(x + \frac{\pi}{4} \right)$$

$$y = 5 \sin \frac{2}{3} \left(x + \frac{\pi}{4} + \frac{1}{4}(3\pi) \right)$$

$$y = 5 \sin \frac{2}{3} \left(x + \frac{\pi}{4} + \frac{3\pi}{4} \right)$$

$$y = 5 \sin \frac{2}{3} (x + \pi)$$

15) Write an equation for the graph below.



period = $\frac{\pi}{4}$

$$y = \cot 4x$$

$$b = \frac{\pi}{\frac{\pi}{4}} = 4$$