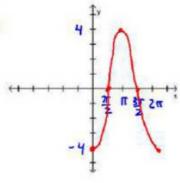
Trigonometry PracticeTest C (Graphing and Identities)

Graph the function. 1) $y = -4 \cos x$

1)
$$y = -4 \cos x$$

AMP = 4

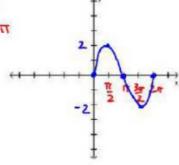
Period = 27



2) $y = 2 \sin x$

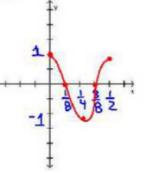
Amp= 2

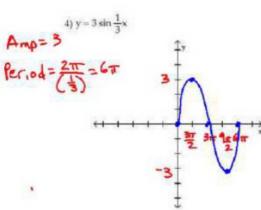
Period=2TT



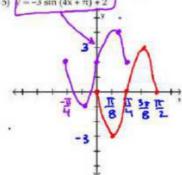
3) $y = \cos 4\pi x$

Period = 20 = 1





Find the amplitude, period, phase shift, and vertical shift. Then Graph the function $5) = -3 \sin (4x + \pi) + 2$

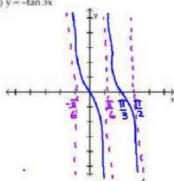


Amp: 3

VS: Up 2

4x+11=0

Graph the function.

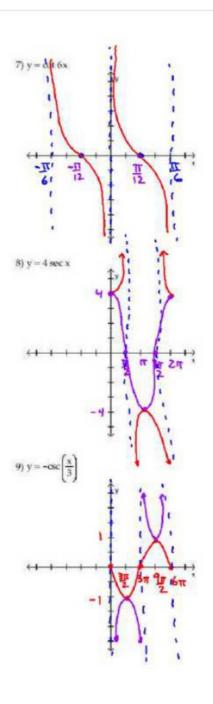


reflection over x-axis

Period = IT = X-intercept

1st 2 Asymptotes: # IT 6

3rd Asymptok: 1 + 1 = 1



$$y = -\sin\left(\frac{x}{3}\right)$$

reflection over x-axis
period = $\frac{2\pi}{\left(\frac{1}{3}\right)}$ = 6π

Write an equation for a sine curve that has the given amplitude and period, and which passes through the given point.

10) Amplitude 10, period
$$\frac{\pi}{2}$$
, point (0, 0)

$$B = \frac{2\pi}{\text{period}} = \frac{2\pi}{\left(\frac{\pi}{3}\right)} = 6$$

Solve the problem.

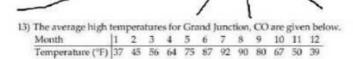
- 11) Tides go up and down during a 12.4 hour period(half lunar day). The average depth of a certain river is 10 m and ranges from a low tide of 7 m to a high tide of 13 m. The variation can be approximated by a sinusoidal curve.
 - a) Write an equation that gives the approximate variation y, if x is the number of hours after midnight if high tide occurs at 9:00 am.

b) Determine the height of the tide at 11 am.
$$y = A \cos \theta(\epsilon - T) + C$$

c) Determine the time of day that the height of the tide is 12 m.



12) A weight attached to a spring is pulled down 5 inches below the equilibrium position. Assuming that the period of the system is 1/8 second, determine a trigonometric model that gives the position of the weight at time t seconds.



Model this data using your calculator and then using that model, predict the temperature during the 6th month. How close is this prediction to the actual temperature during that month?

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