## Calculator Okay

On a certain workday, the rate, in tons per hour, at which unprocessed gravel arrives at a gravel processing plant is modeled by $R(t)=50+20 \sin \left(\frac{t^{2}}{35}\right)$ where t is measured in hours and $0 \leq t \leq 8$.
a) Evaluate $\mathrm{R}^{\prime}(5)$ and interpret what it means in the context of the problem.
b) What is the maximum rate the unprocessed gravel arrives at the plant during the hours $0 \leq t \leq 8$, on this workday? Justify your answer.

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